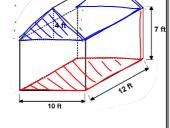
DO NOW

A chicken coop is in the shape of the prism shown below,

a) Determine the volume, in cubic feet, of the coop. Show the calculations that lead to your answer.

$$V_{\text{rect}} = Bh$$
= (10)(12)(7)
= 840 ft³

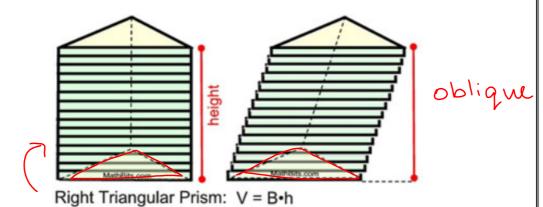
$$V_{triangle} = BN$$
= $\frac{1}{2}(10)(4)(12)$
= 240 f+3



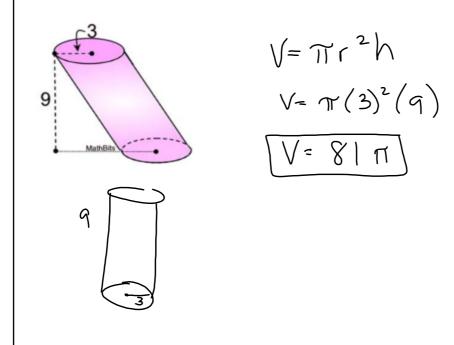
b) If the entire volume of air must be moved out of the coop in an hour, how many cubic feet per minute must a fan move to accomplish this task?

$$\left[18 \frac{\text{win}}{\text{t+}_3} \right]$$

Cavalieri's Priniciple: If the cross-sections of two prisms have equal areas and equal heights, then the two prisms have equal volumes.

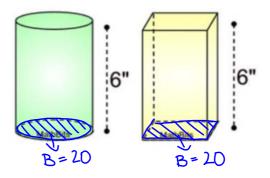


What is the volume of an oblique cylinder with a radius of 3 and a height of 9?



Cavalieri's principle also applies when comparing solids with differing base shapes.

A right circular cylinder and a right rectangular prism are given.



If the area of the circular base is equal to the area of the rectangular base, volumes of these two solids will be EQUAL

Two prisms have equal heights and equal volumes. The base of one is a pentagon and the base of the other is a square. If the area of the pentagonal base is 36 square inches, how many inches are in the length of each side of the square base?

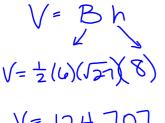
- 1)6
- 2) 9
- A=36

- 3) 24
- 4) 36
- (V= B/O)

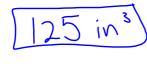
- (V) B6
- A = 36

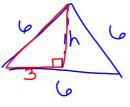
$$B = B$$

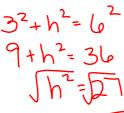
A prism has a base that is an equilateral triangle whose sides measure 6 inches each. The height of the prism is 8 inches. What is the volume of the prism, to the nearest cubic inch?

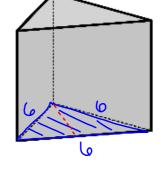


V= 124.707... 32-





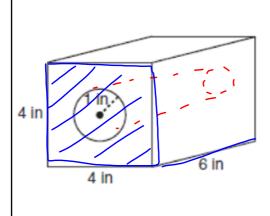




8

A solid metal prism has a rectangular base with sides of 4 inches and 6 inches, and a height of 4 inches. A hole in the shape of a cylinder, with a radius of 1 inch, is drilled through the entire length of the rectangular prism.

What is the approximate volume of the remaining solid, to the nearest cubic inch?



$$V = Bh$$
 $V = \pi r^{2}h$
 $V = (4)(6)$ $V = \pi(1)^{2}(6)$
 $V = 96 \text{ in}^{3}$ $V = 6\pi \text{ in}^{3}$

96-67