

DO NOW

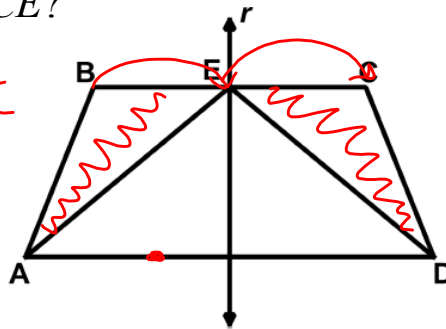
Given that line r is the perpendicular bisector of BC and AD , which of the following would be used to justify that $\triangle ABE$ is congruent to $\triangle DCE$?

$$\triangle ABE \cong \triangle DCE$$

$$A \rightarrow D$$

$$B \rightarrow C$$

$$E \rightarrow E$$



- (1) a reflection of $\triangle ABE$ across the line \overline{AD}
- (2) a 180° rotation of $\triangle ABE$ about point E
- (3) a translation of $\triangle ABE$ in the direction of \overline{BC} by a distance of BE .
- (4) a reflection of $\triangle ABE$ across line r .

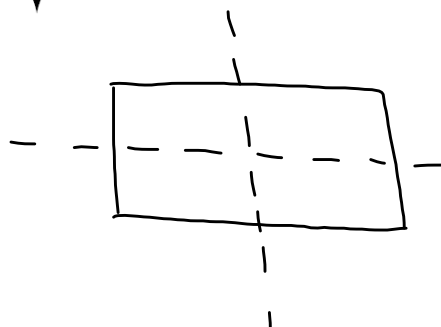
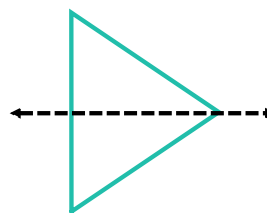
Line Symmetry

Occurs when two halves of a figure mirror each other across a line

Vertical

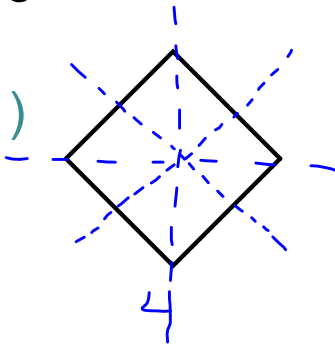


Horizontal

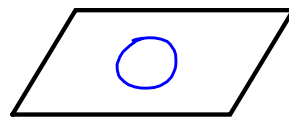


How many lines of symmetry do the following figures have?

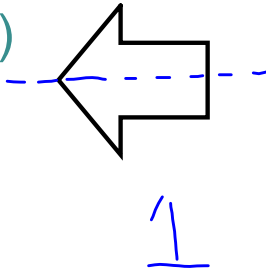
1)



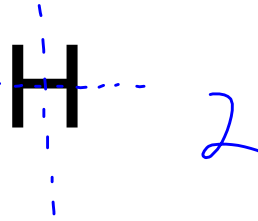
2)



3)

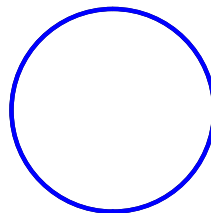
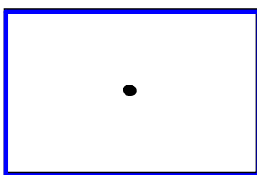


4)



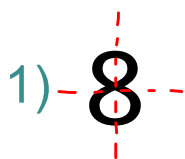
Point Symmetry

A figure has point symmetry if you rotate it 180 degrees about a fixed point and the figure stays the same



S

Does the figure have point symmetry, line symmetry or both?



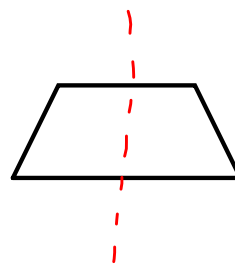
Point

Line (2)



Point

3)



A figure has **rotational symmetry** if the figure is its own image under a rotation

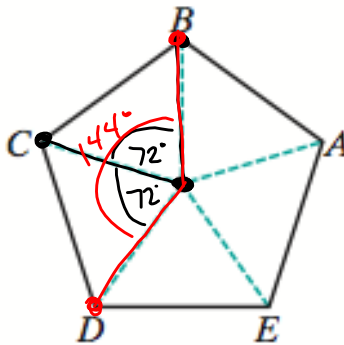
All regular polygons (all sides and angles congruent) have rotational symmetry!

$$\frac{360}{n}$$

where n is the number of sides of the polygon

If a regular pentagon is rotated counterclockwise around its center, find the minimum number of degrees it must be rotated to carry the pentagon onto itself

$$\frac{360}{5} = \boxed{72^\circ}$$



$$B \rightarrow D$$

$$R_{144^\circ}$$

72° or ANY MULTIPLE of 72°

$\rightarrow 10$ sides
A regular decagon is rotated n degrees about its center, carrying the decagon onto itself. The value of n could be

~~1) 10°~~

~~3) 225°~~

~~2) 150°~~

4) 252°

$$\frac{360}{10} = 36^\circ$$

Point P is at the center of equilateral triangle ABC

Under a rotation about P for which the image of A is B , find:

a. The number of degrees in the rotation.

$$\frac{360}{3} = 120^\circ$$

b. The image of B .

C

c. The image of \overline{CA} .

\overline{AB}

d. The image of $\angle CAB$.

$\angle ABC$

